



PRIVACY AT THE COMMUNICATION LAYER

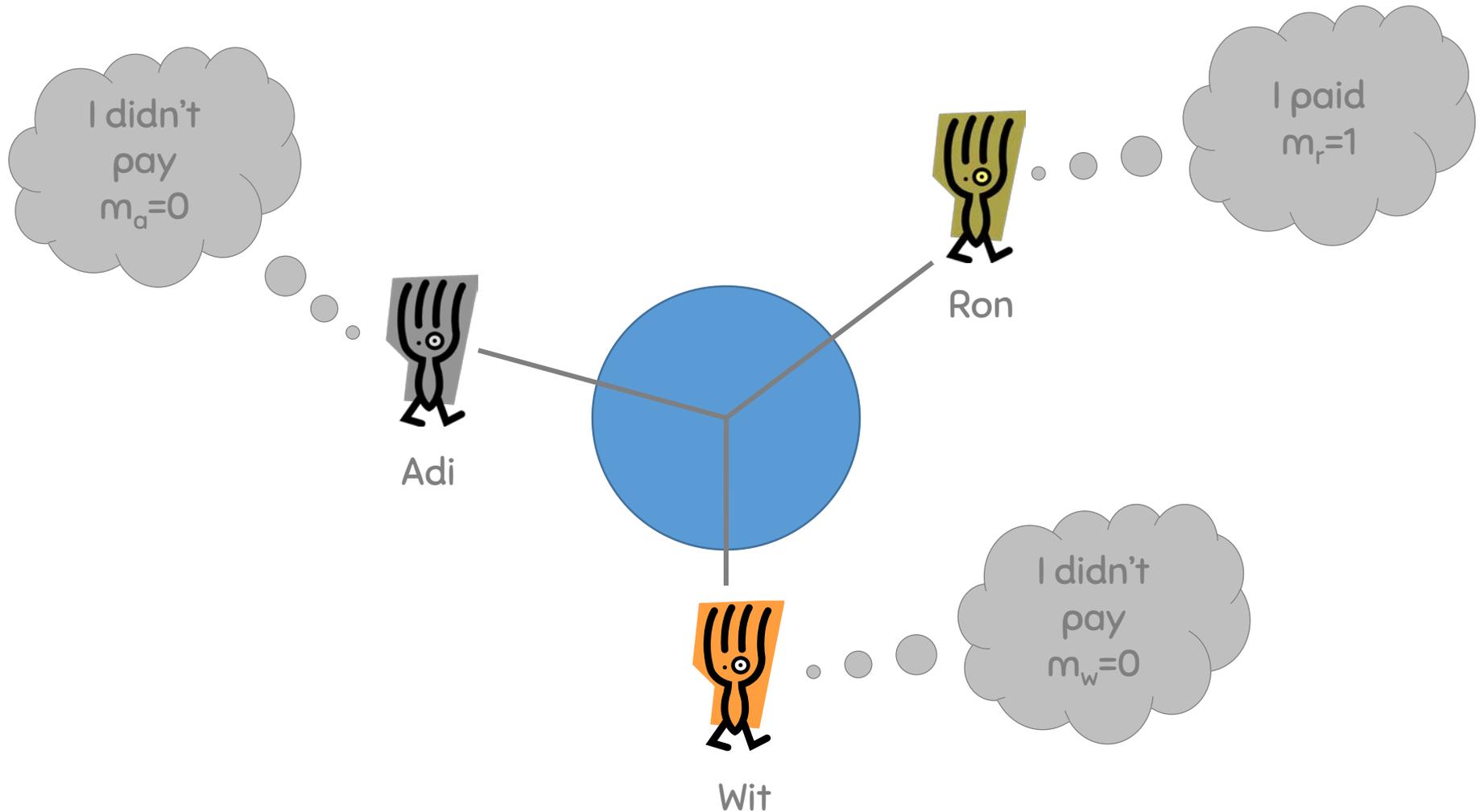
THE DINING CRYPTOGRAPHERS PROBLEM: UNCONDITIONAL
SENDER AND RECIPIENT UNTRACEABILITY
DAVID CHAUM 1988

CS-721

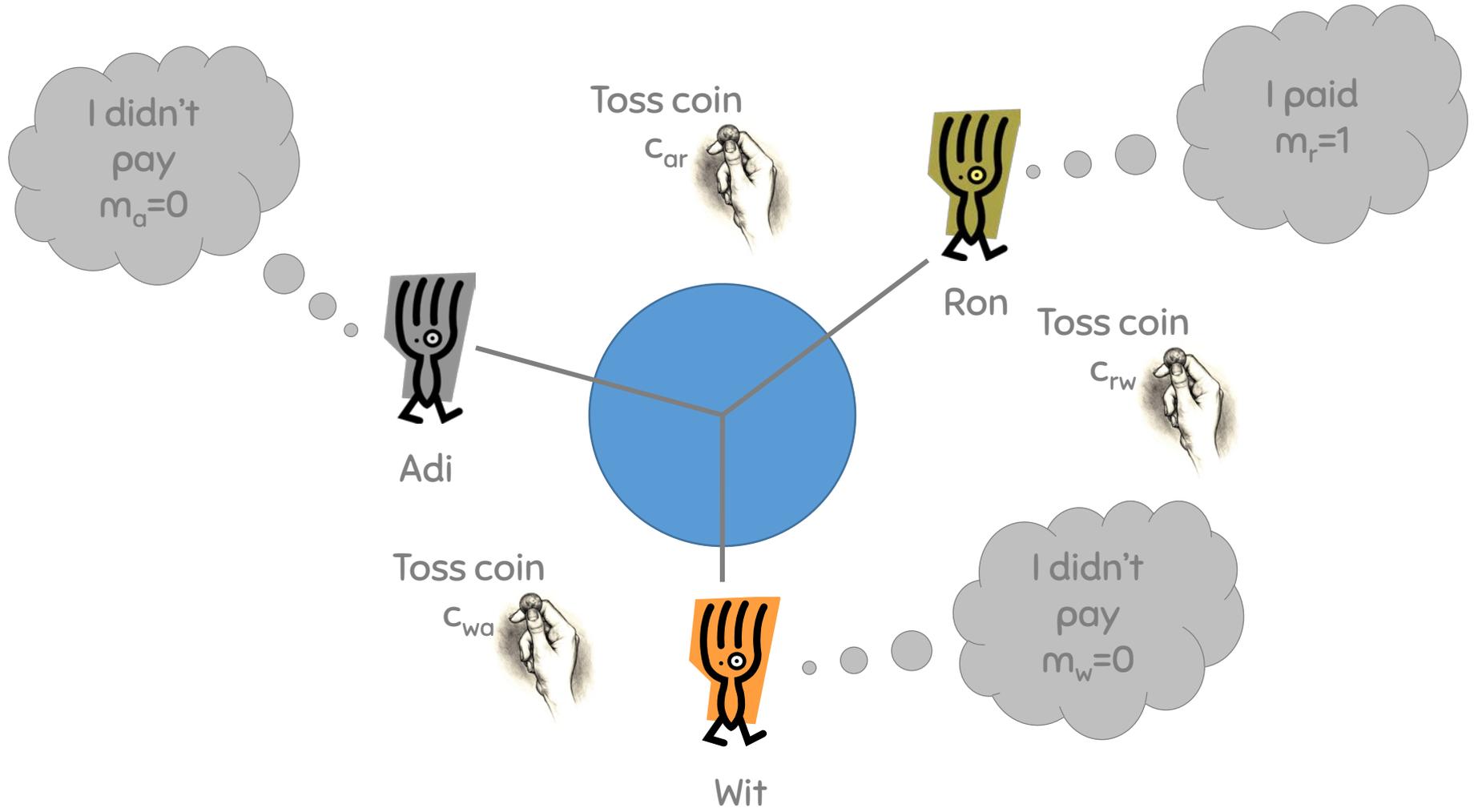
Carmela Troncoso
<http://carmelatroncoso.com/>

(borrowed slides from G. Danezis)

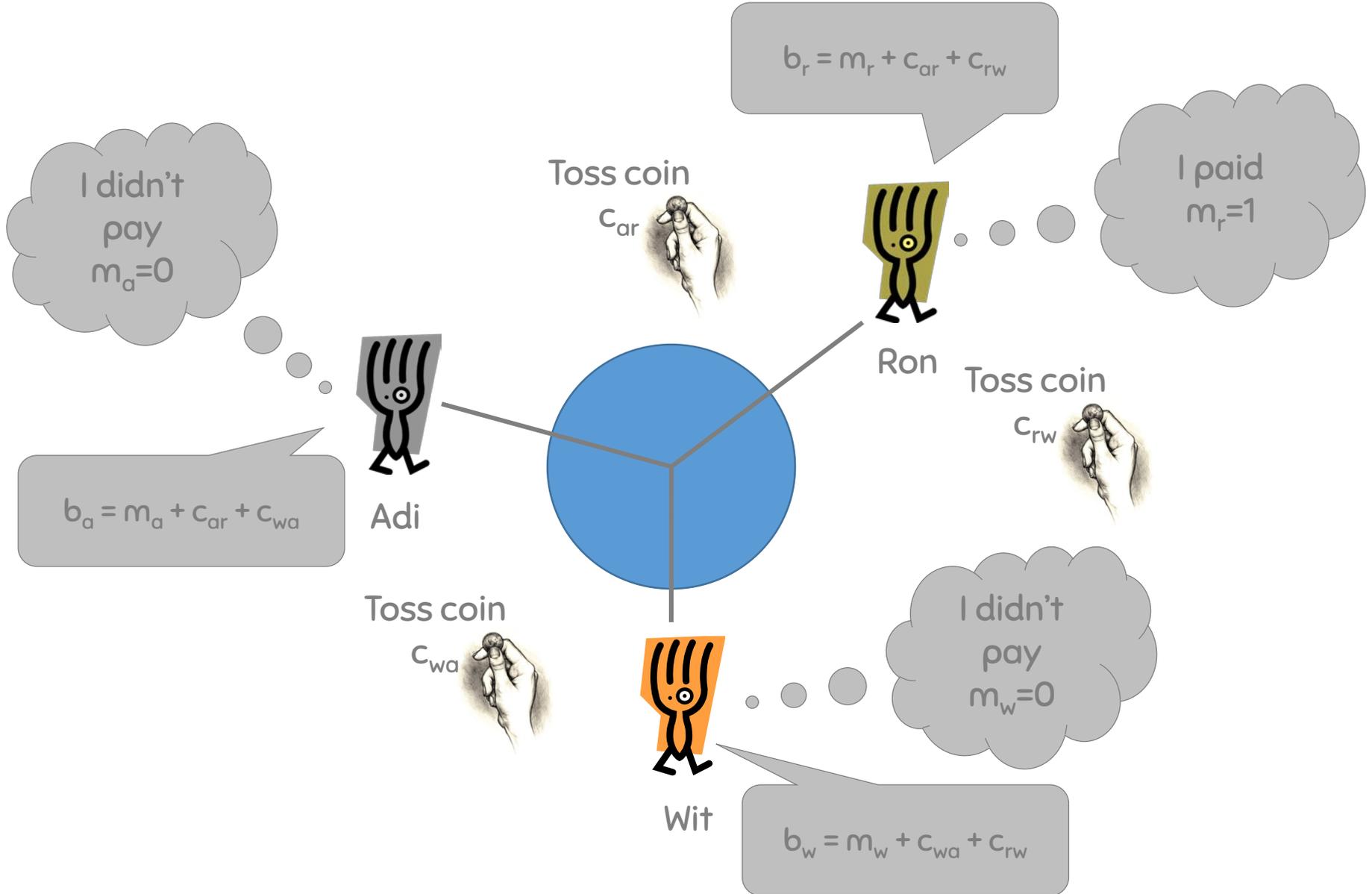
THE DINING CRYPTOGRAPHERS – DID THE NSA PAY?



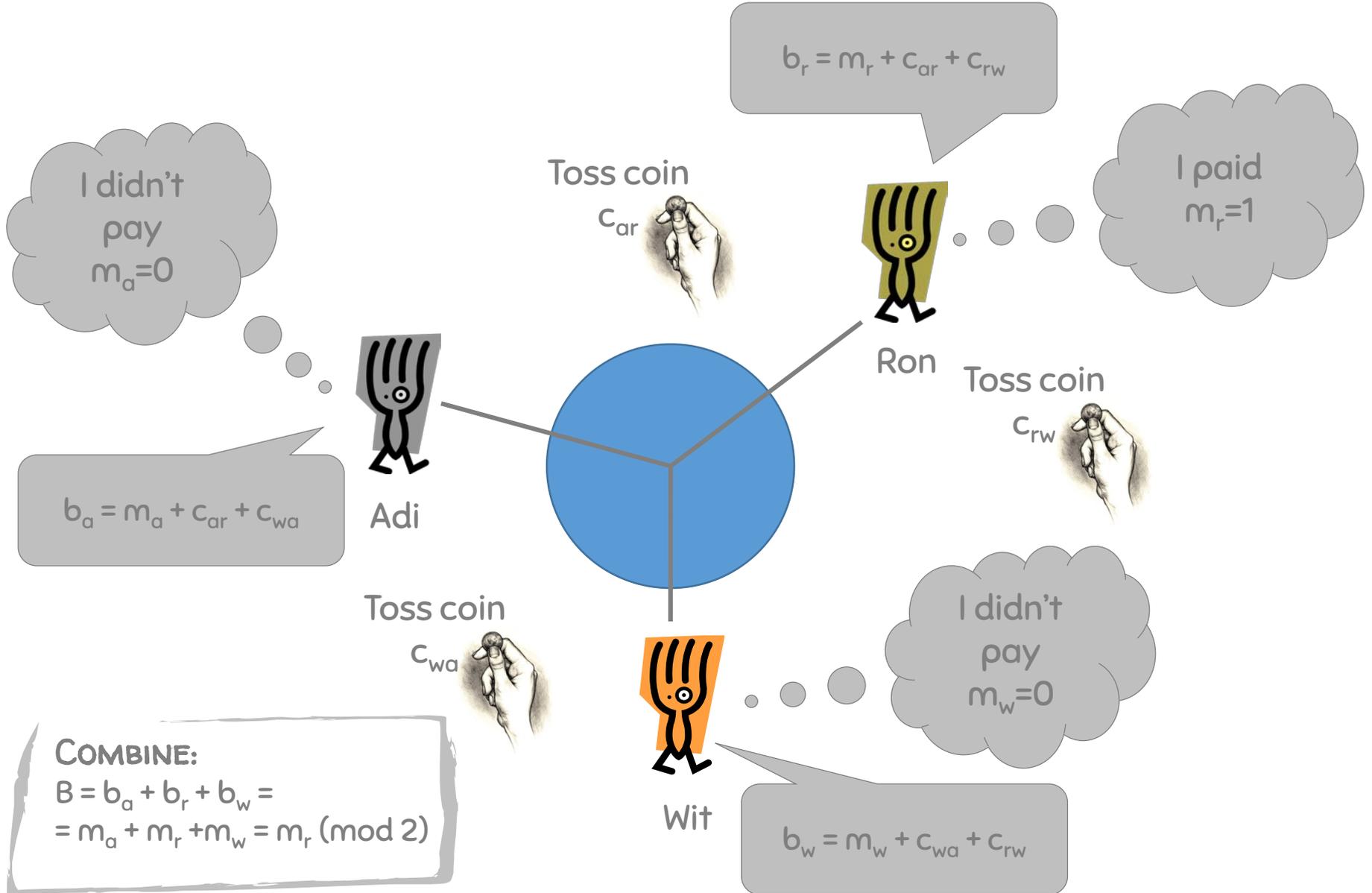
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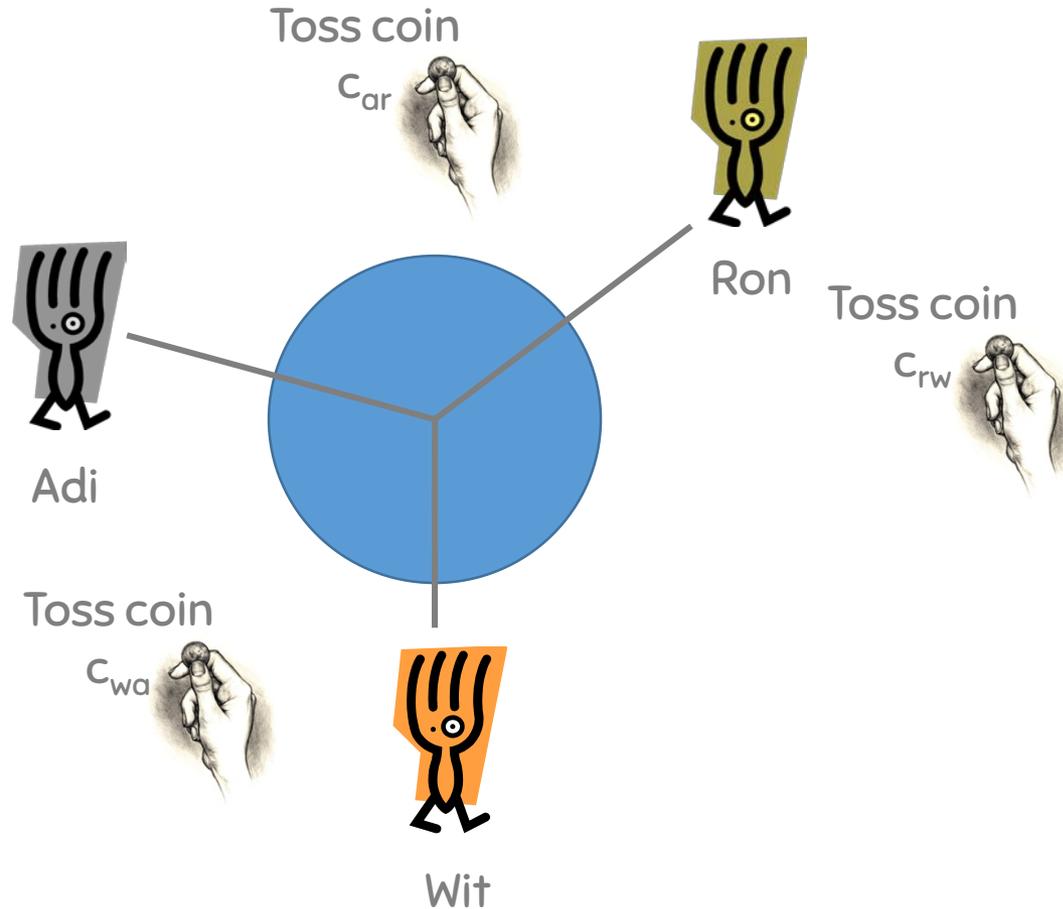
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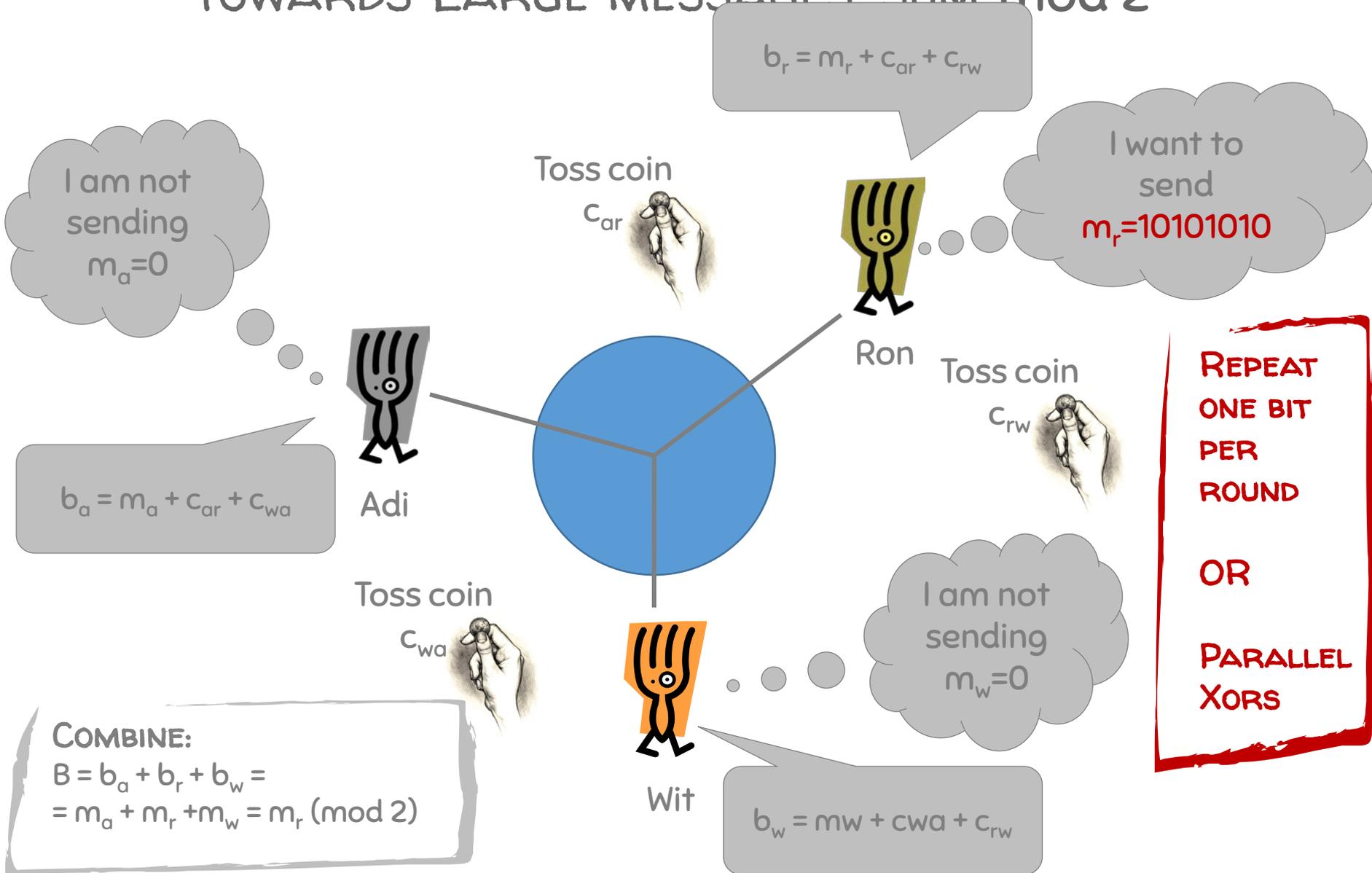


THE DINING CRYPTOGRAPHERS – GENERALIZATION TOWARDS LARGE MESSAGES: BIT STRING



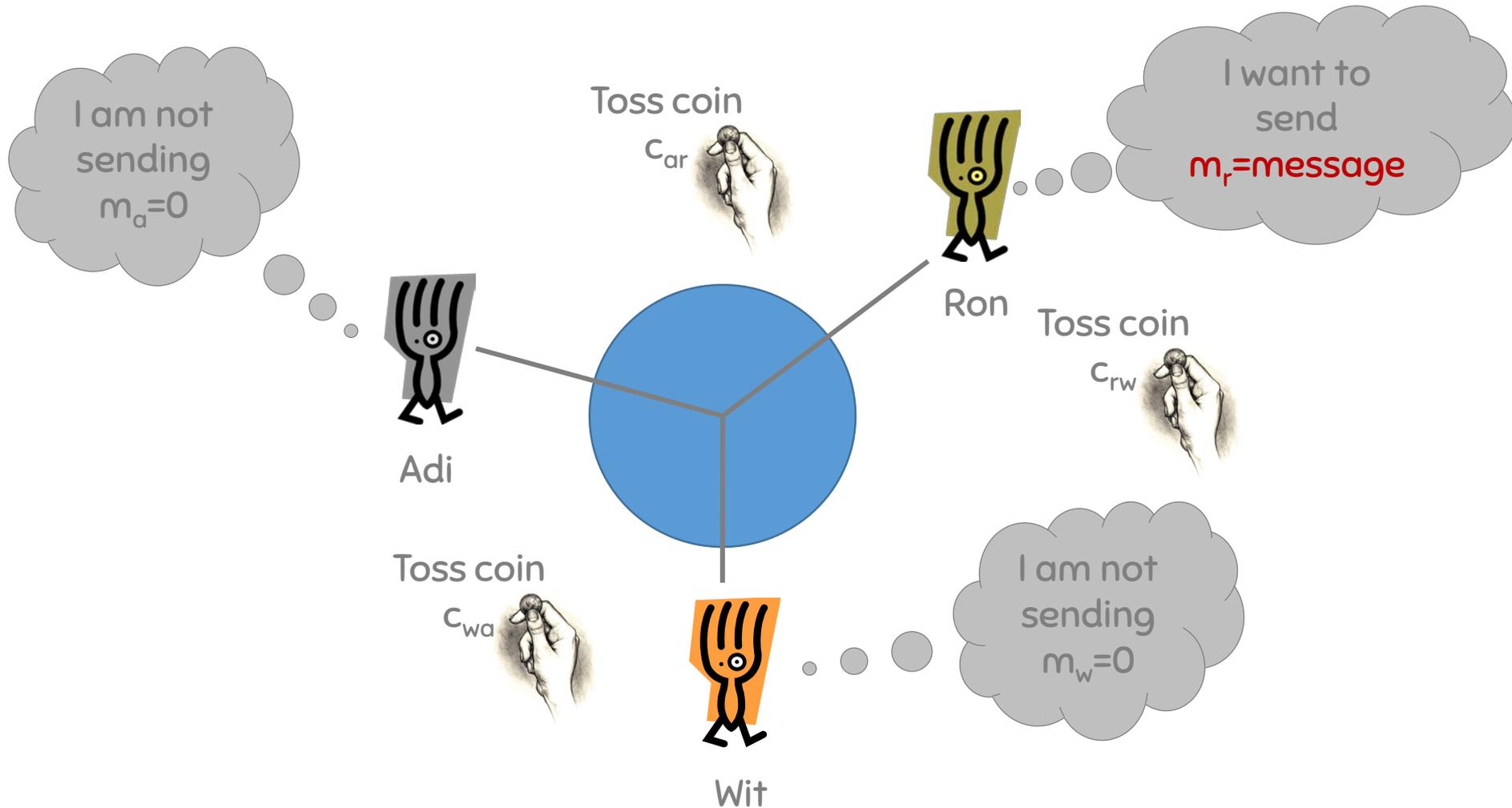
THE DINING CRYPTOGRAPHERS - GENERALIZATION

TOWARDS LARGE MESSAGES: SUM mod 2^m



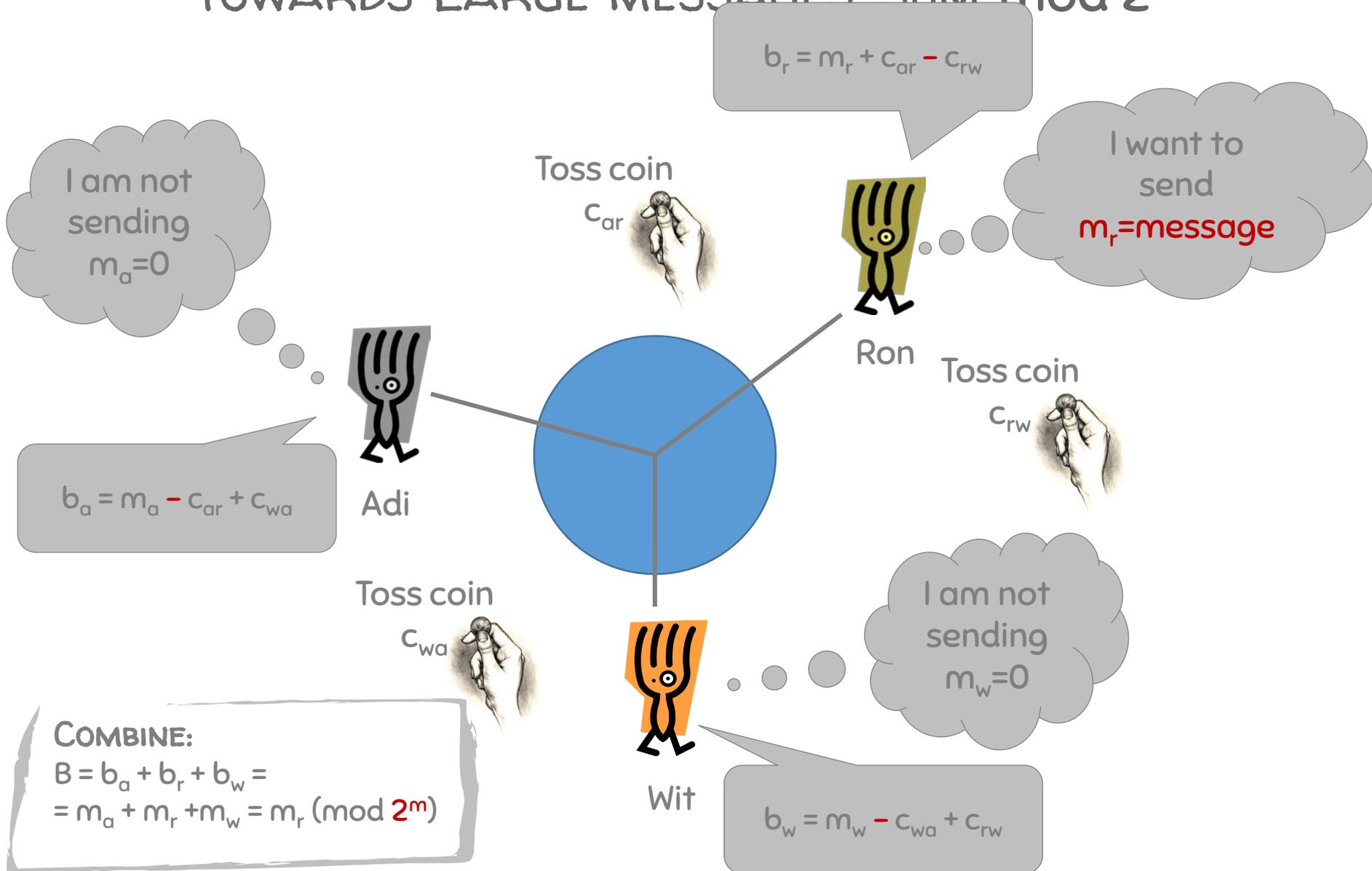
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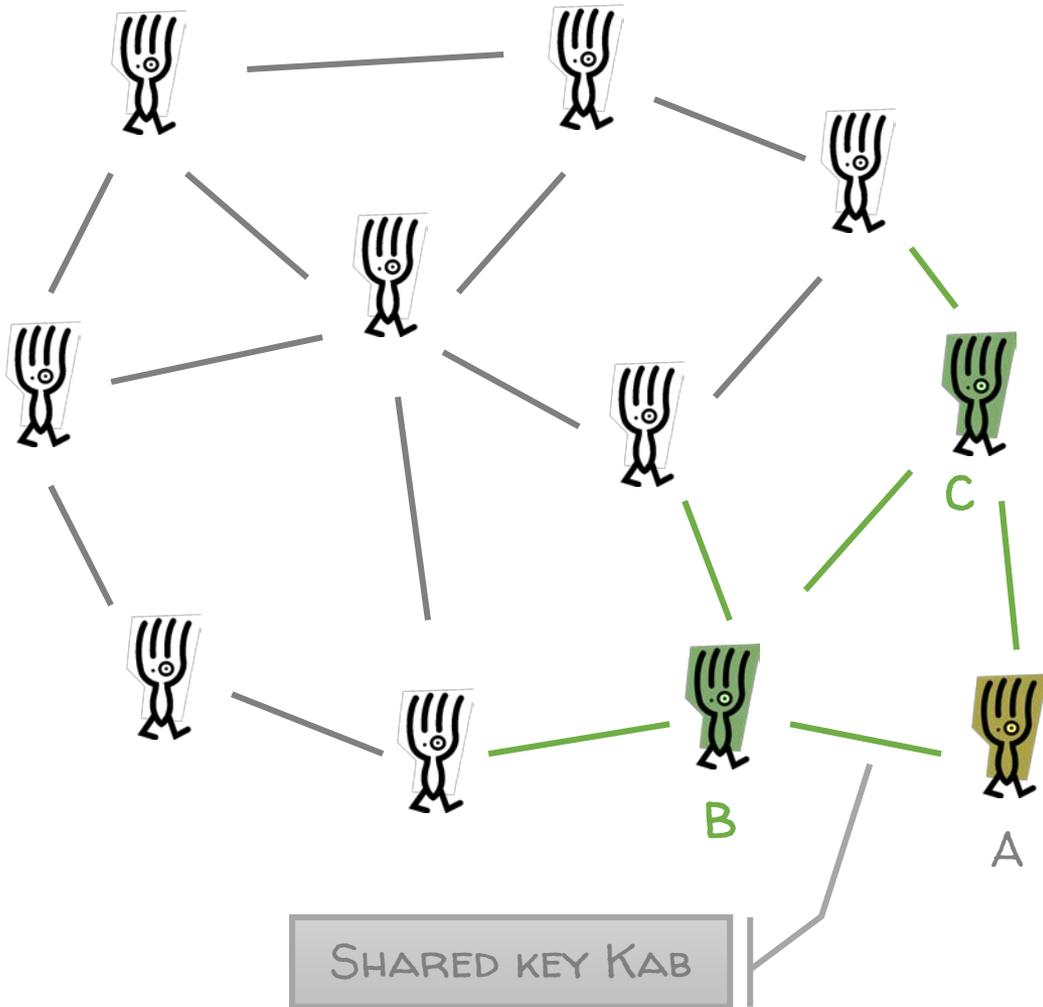


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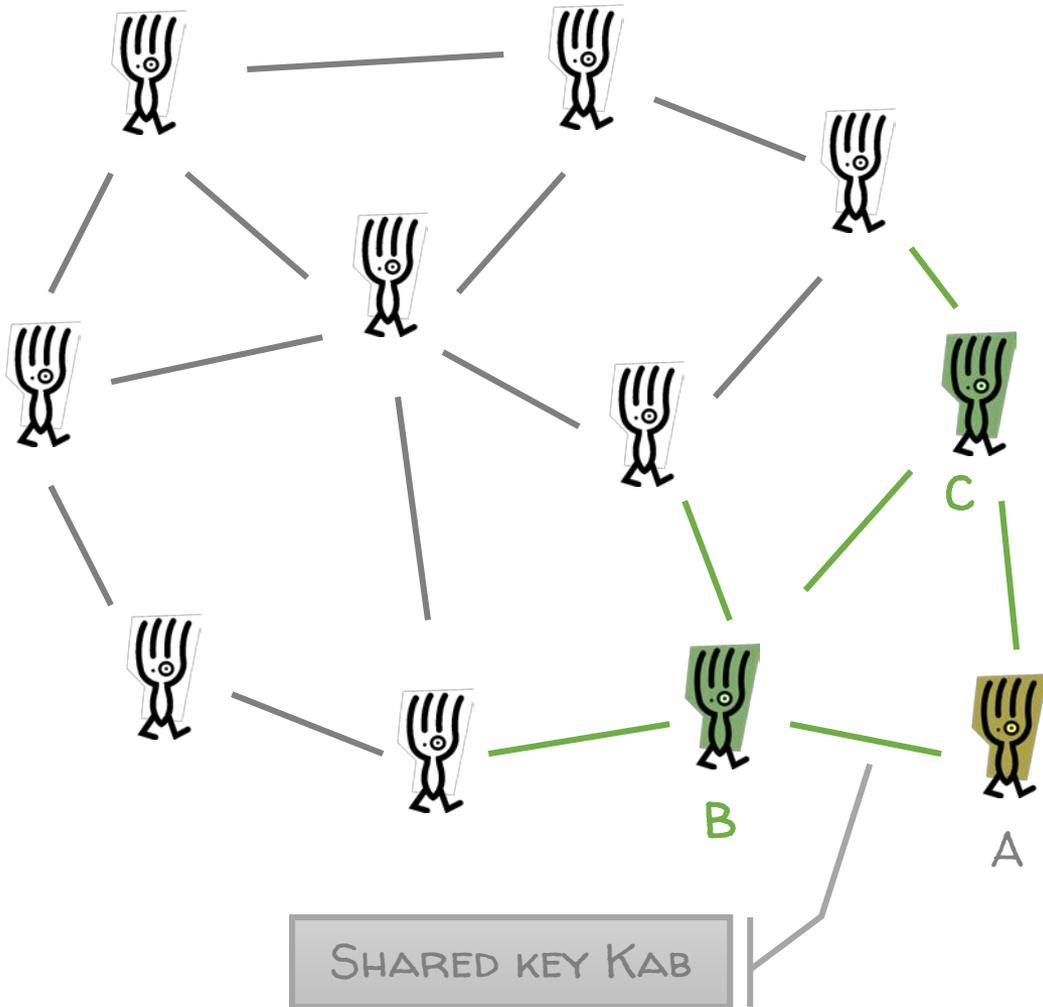
KEY SHARING GRAPH - SECURITY



ALICE BROADCASTS

$$b_a = c_{ab} + c_{ac} + m_a$$

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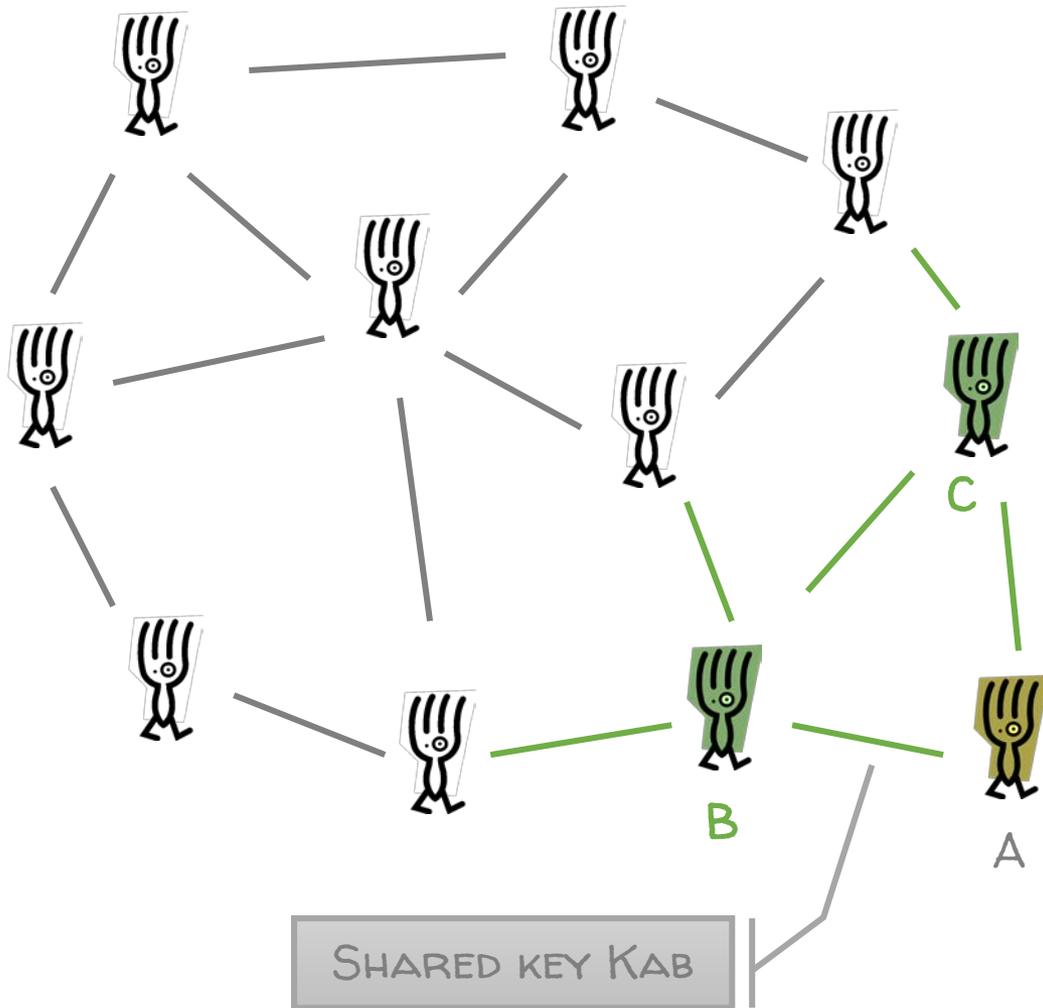


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$$b_a = c_{ab} + c_{ac} + m_a$$

IF **B** AND **C** CORRUPT

KEY SHARING GRAPH - SECURITY



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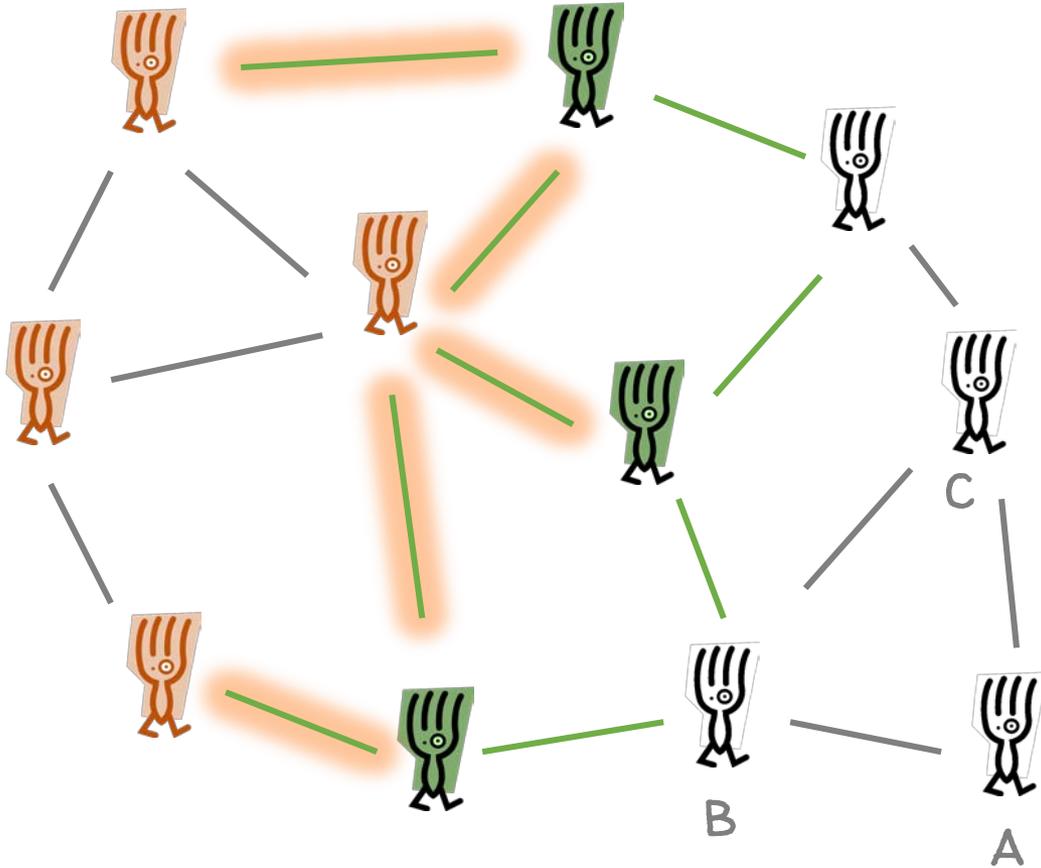
ADVERSARY'S VIEW

$$b_a = c_{ab} + c_{ac} + m_a + c_{ab} + c_{ac}$$

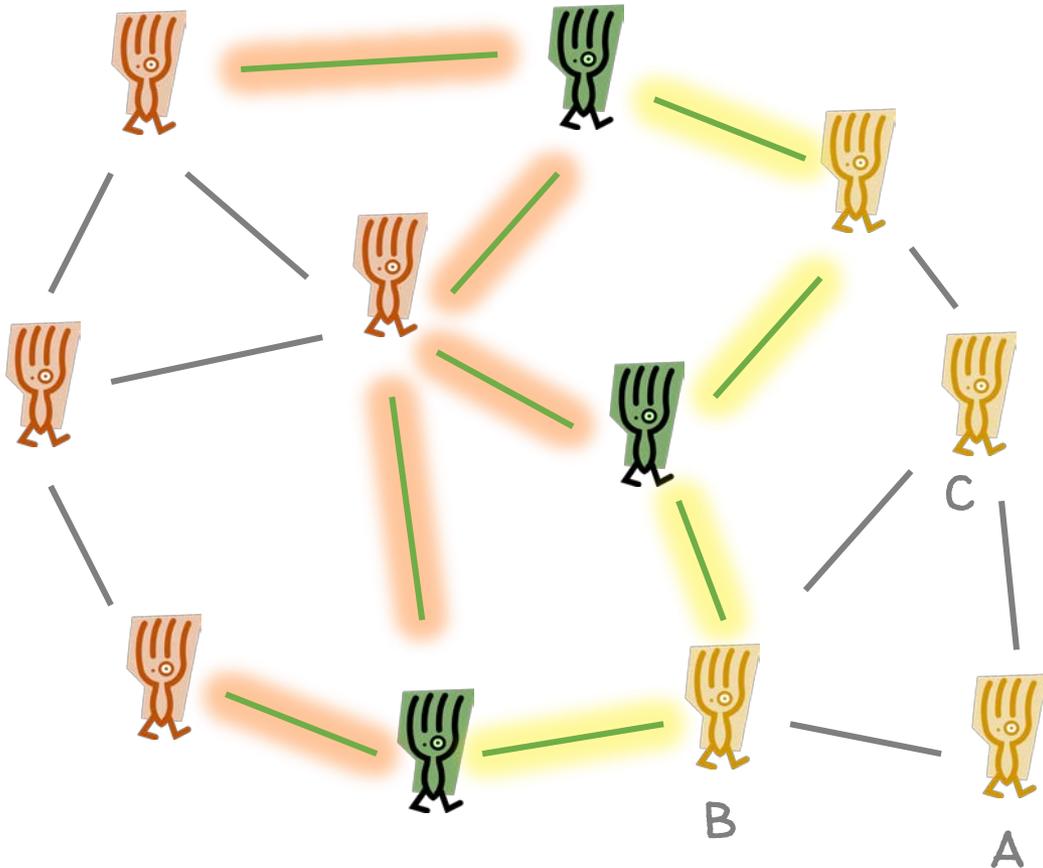
NO ANONYMITY!!

KEY SHARING GRAPH - SECURITY

ADVERSARY NODES PARTITION THE GRAPH INTO A **RED** AND **YELLOW** SUB-GRAPHS



KEY SHARING GRAPH - SECURITY



ADVERSARY NODES PARTITION THE GRAPH INTO A **RED** AND **YELLOW** SUB-GRAPHS

CALCULATE:

$$B_{\text{RED}} = \sum b_j, j \text{ IS RED}$$

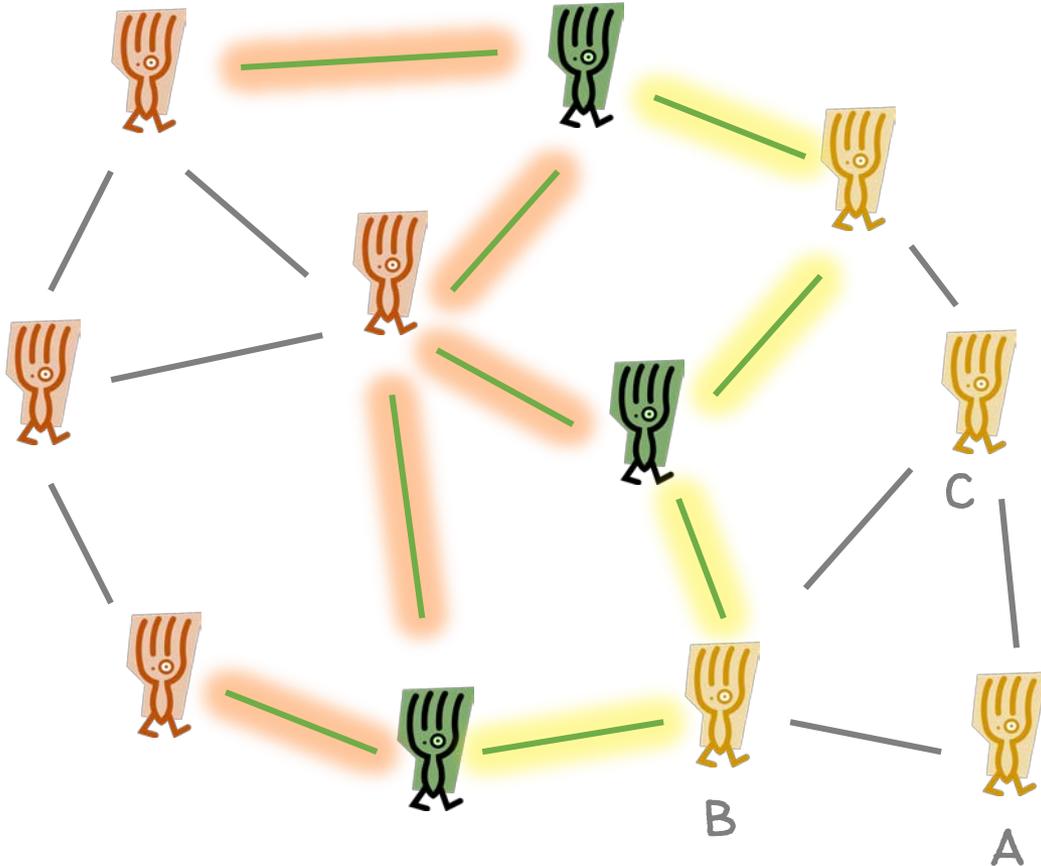
$$B_{\text{YELLOW}} = \sum b_i, i \text{ IS YELLOW}$$

SUBSTRACT KNOWN KEYS

$$B_{\text{RED}} + K_{\text{RED-GREEN}} = \sum m_j$$

$$B_{\text{YELLOW}} + K'_{\text{YELLOW-GREEN}} = \sum m_i$$

KEY SHARING GRAPH - SECURITY



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DISCOVER THE ORIGINATING SUBGRAPH
REDUCTION IN ANONYMITY!!

ANONYMITY SET SIZE =
4 (NOT 11 OR 8!)

IMPLEMENTING DC-NETS

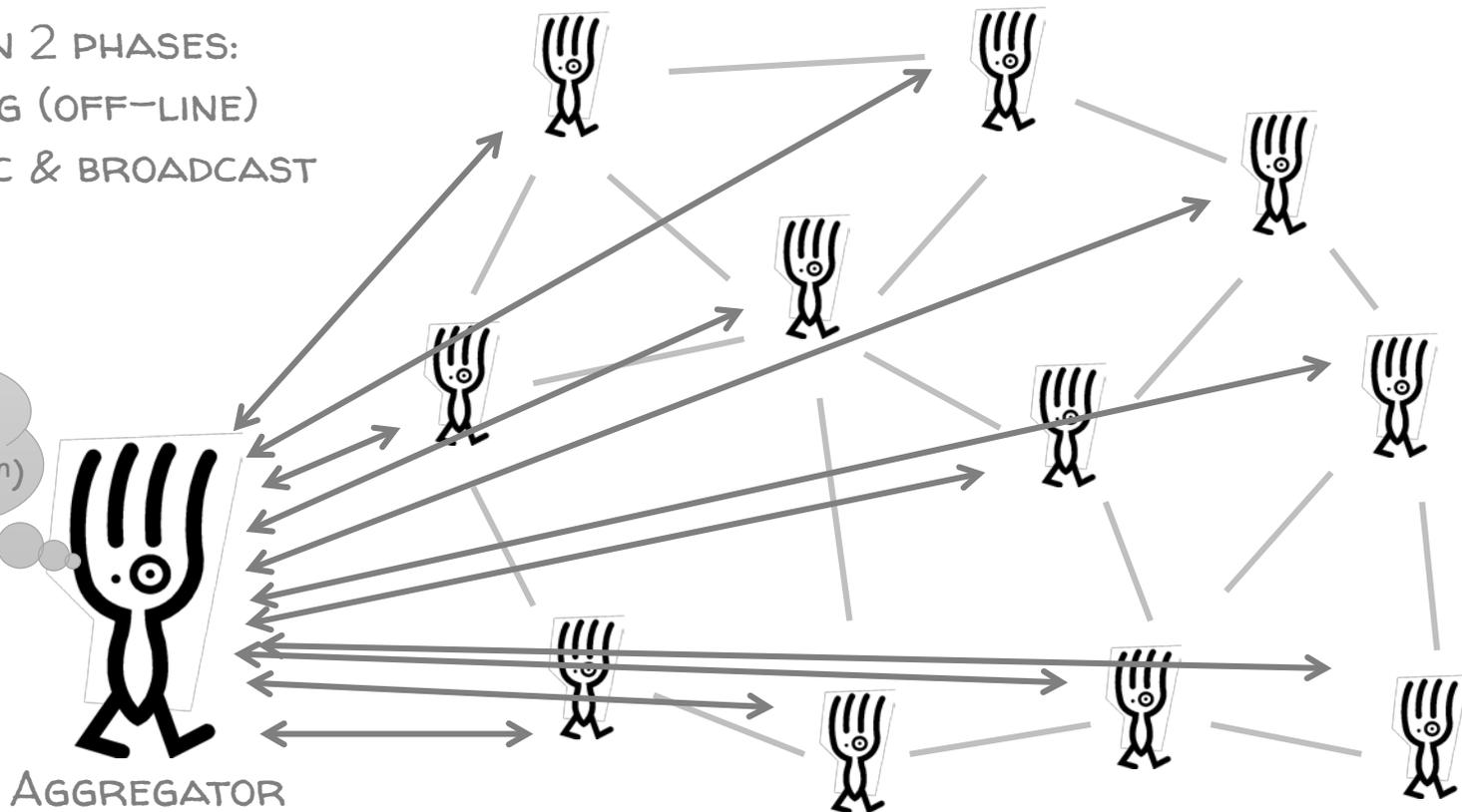
b_i BROADCAST GRAPH

NO DoS UNLESS SPLIT IN GRAPH

COMMUNICATION IN 2 PHASES:

- 1) KEY SHARING (OFF-LINE)
- 2) ROUND SYNC & BROADCAST

COMBINE:
 $B = \sum b_i = m_r \pmod{2^m}$



IMPLEMENTING DC-NETS: P2P

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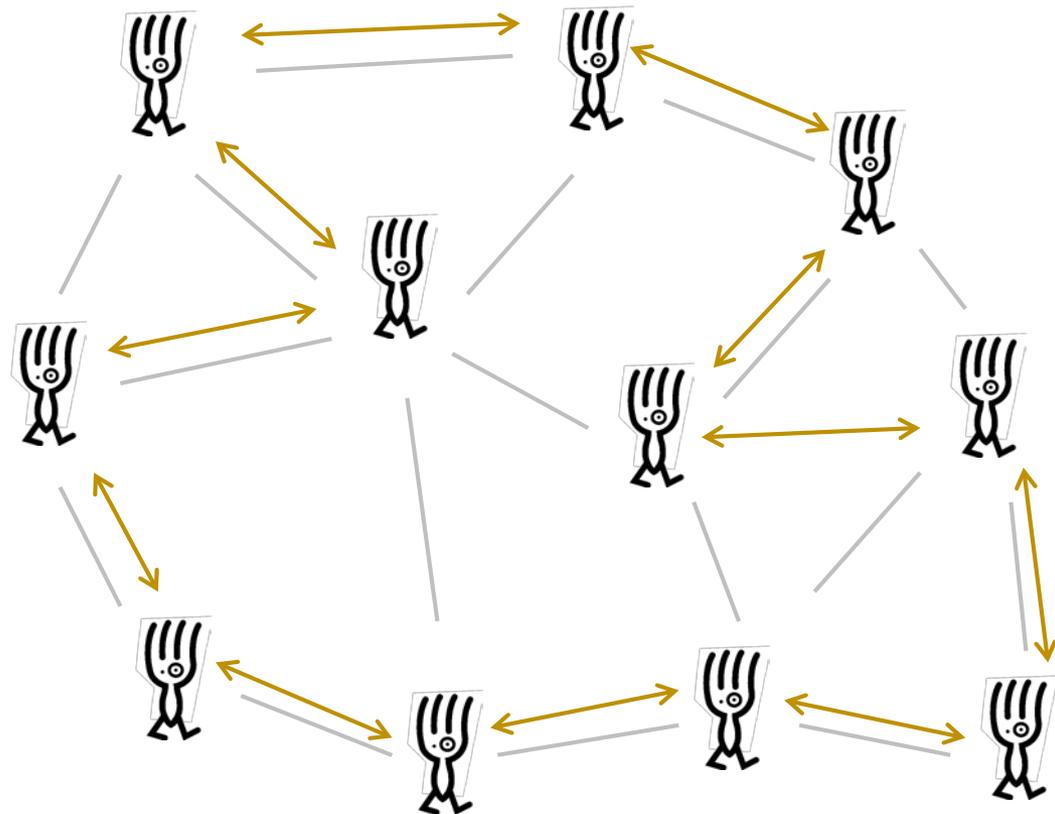
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(PEER-TO-PEER?)

RING?



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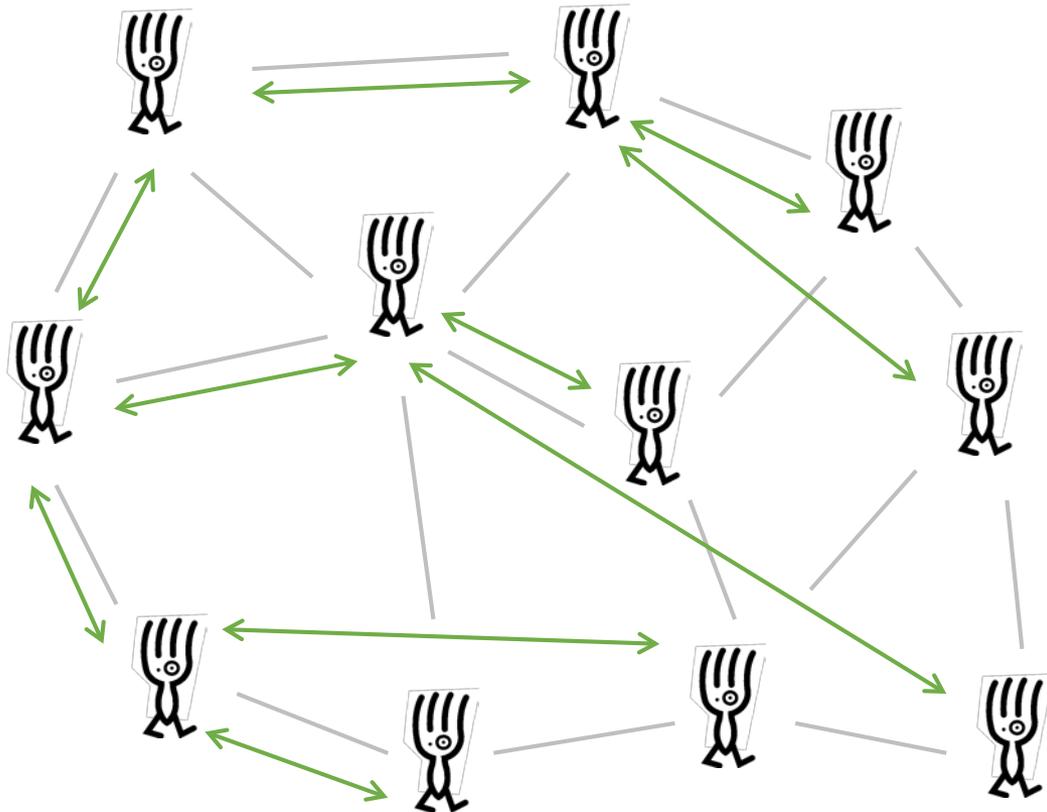
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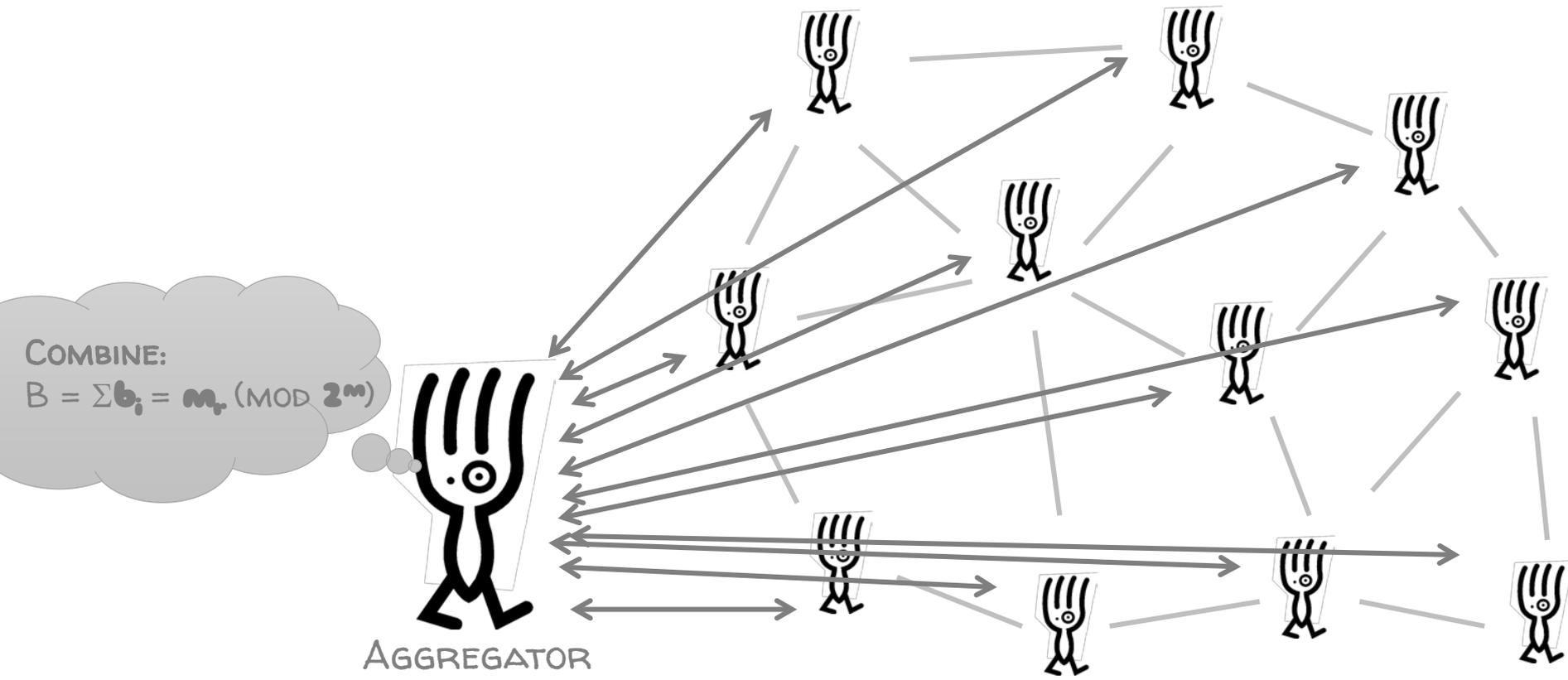
TREE?



PREDECESSOR ATTACK, DOES IT WORK?

NO!!!

b: BROADCAST GRAPH



PREDECESSOR ATTACK, DOES IT WORK?

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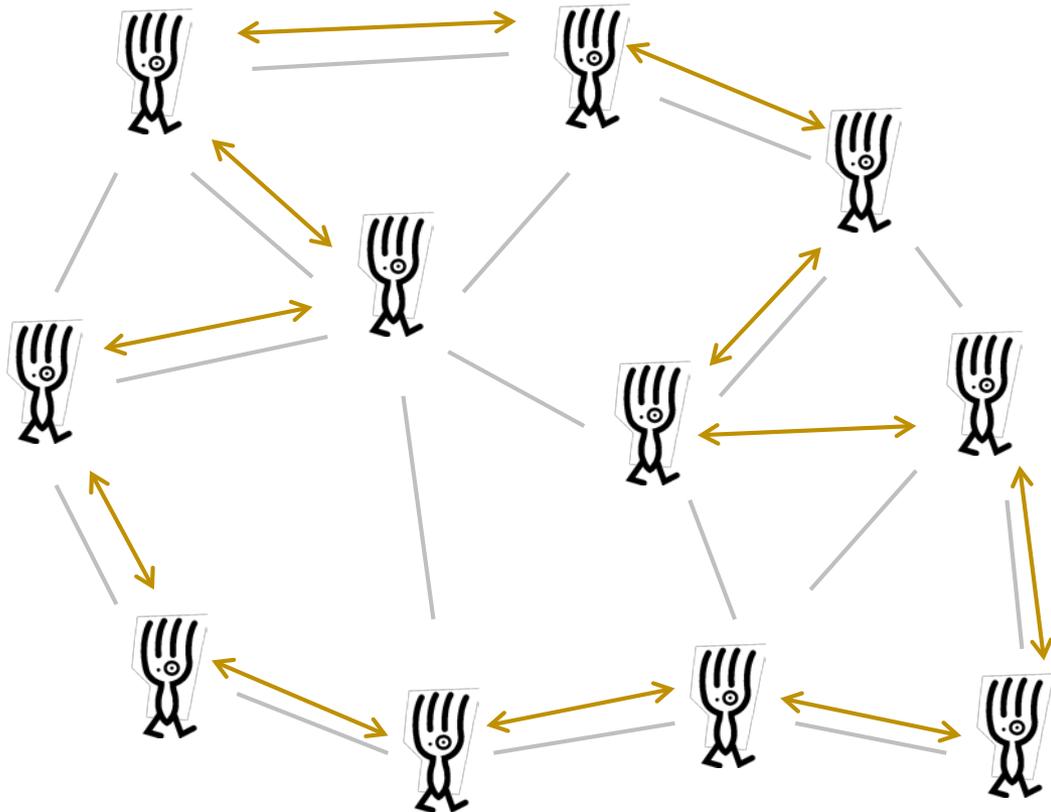
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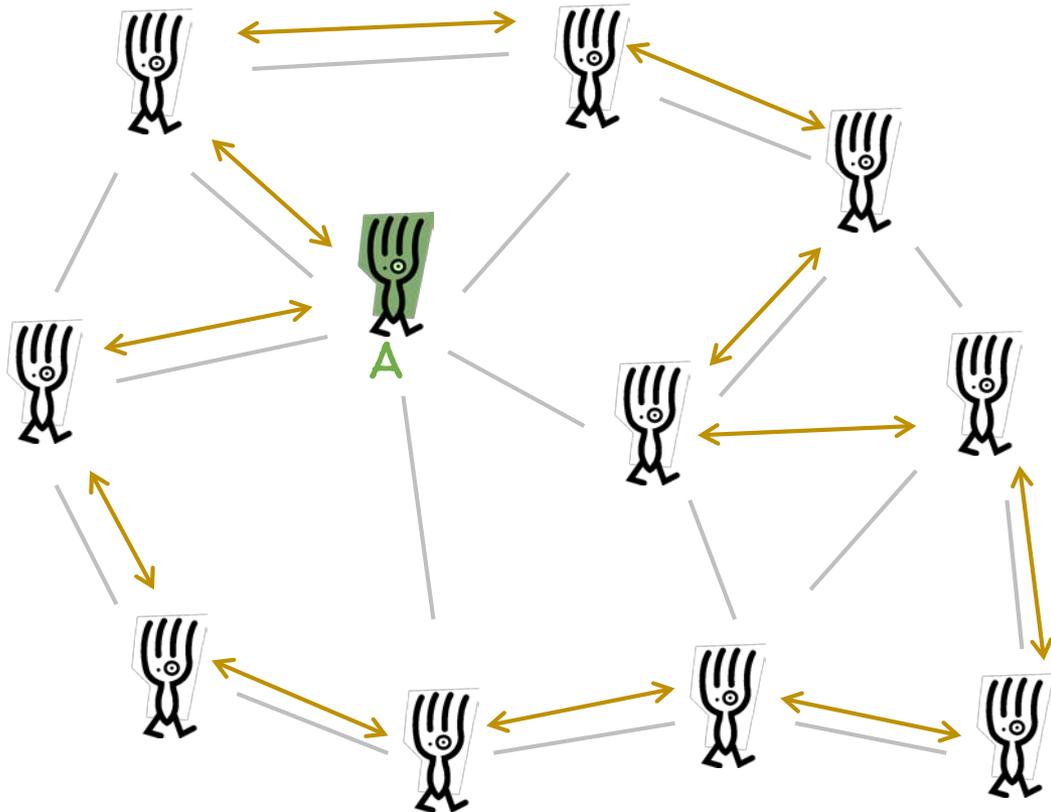
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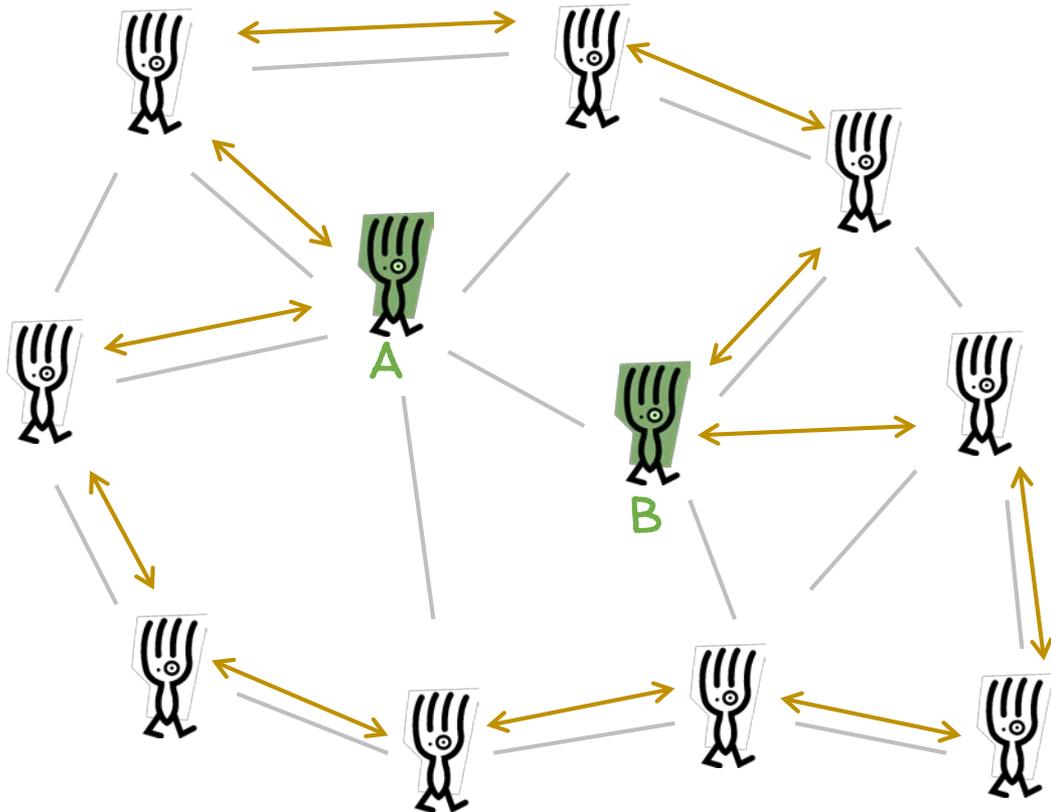
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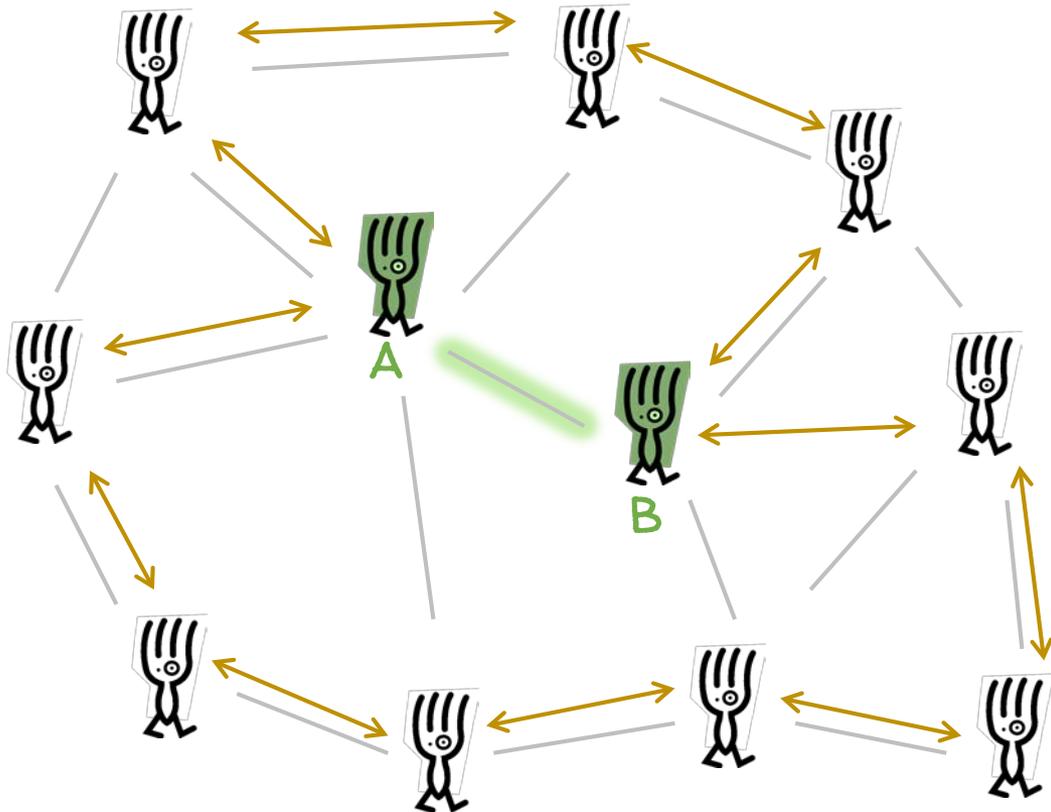
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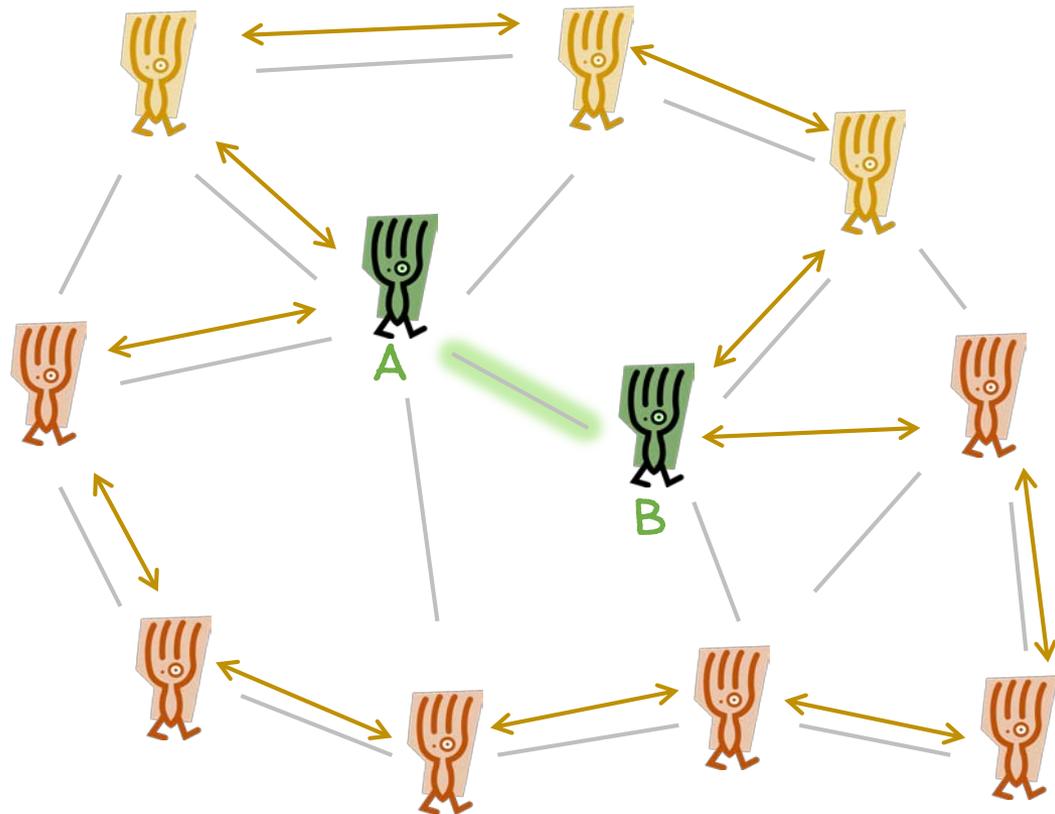
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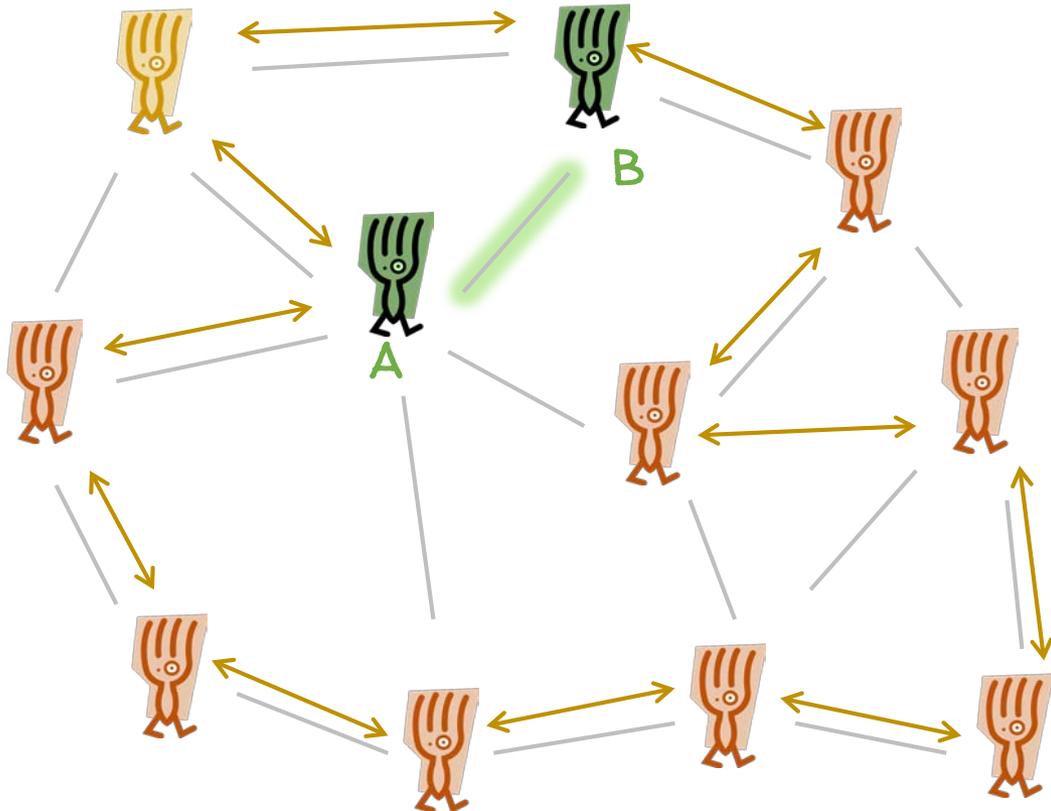
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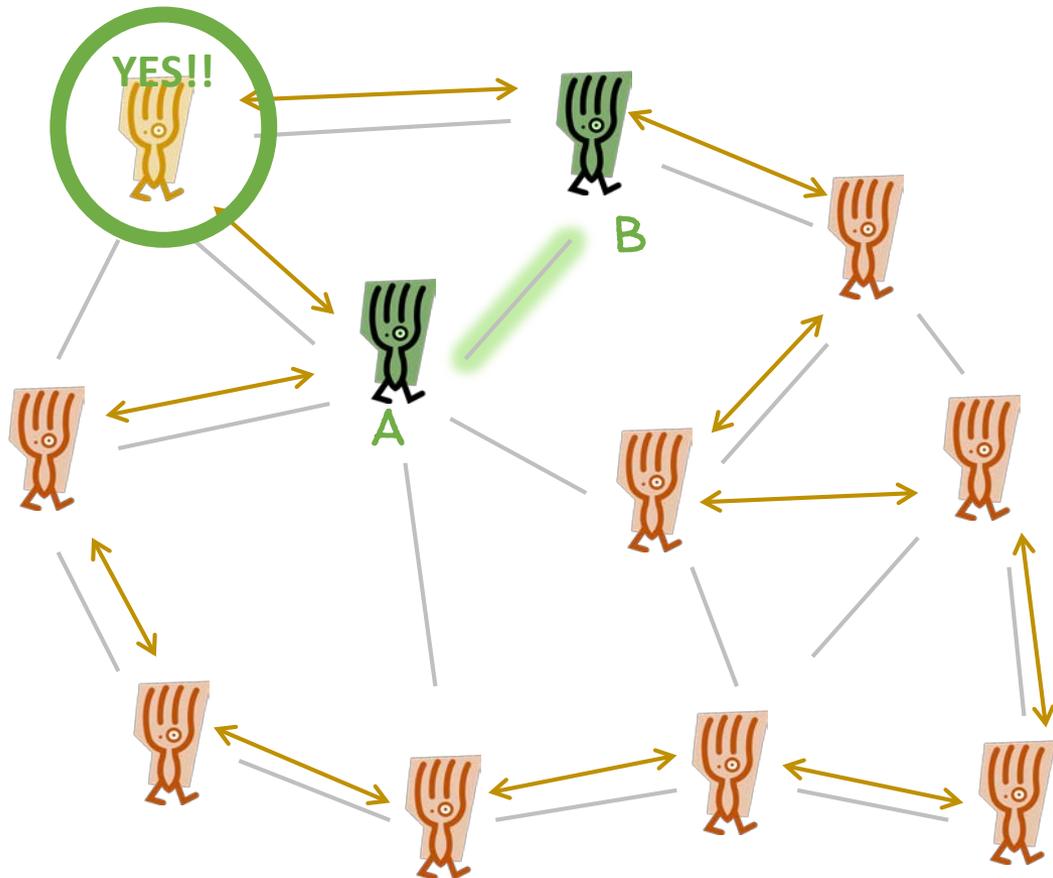
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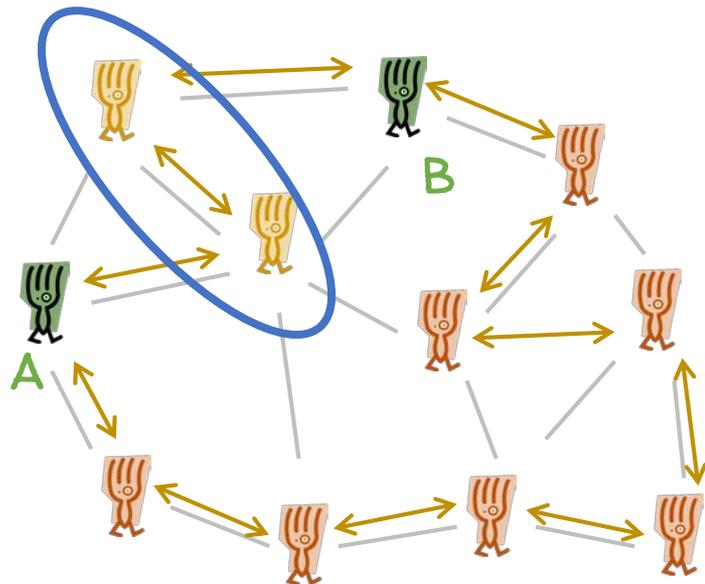
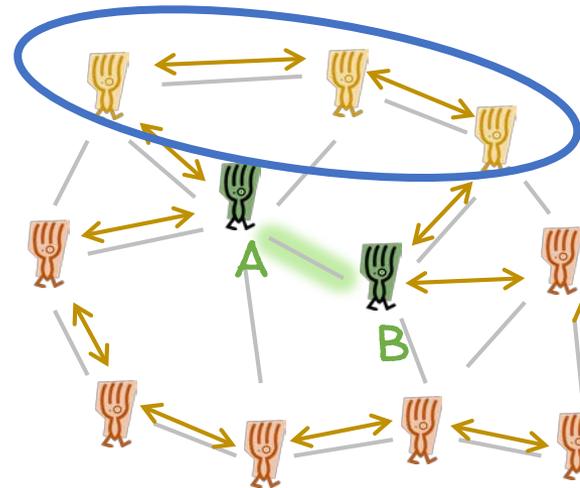
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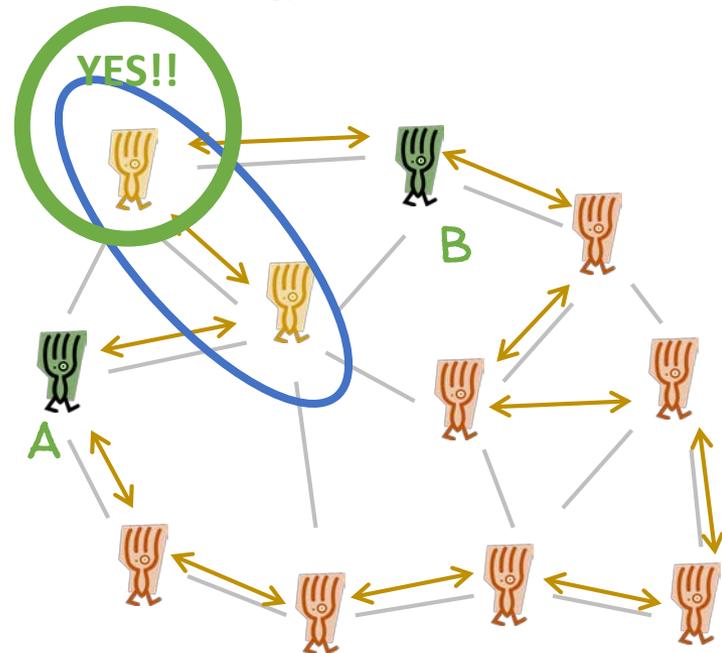
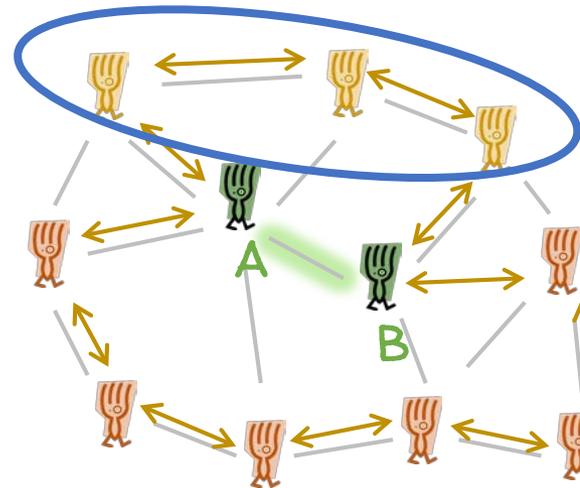
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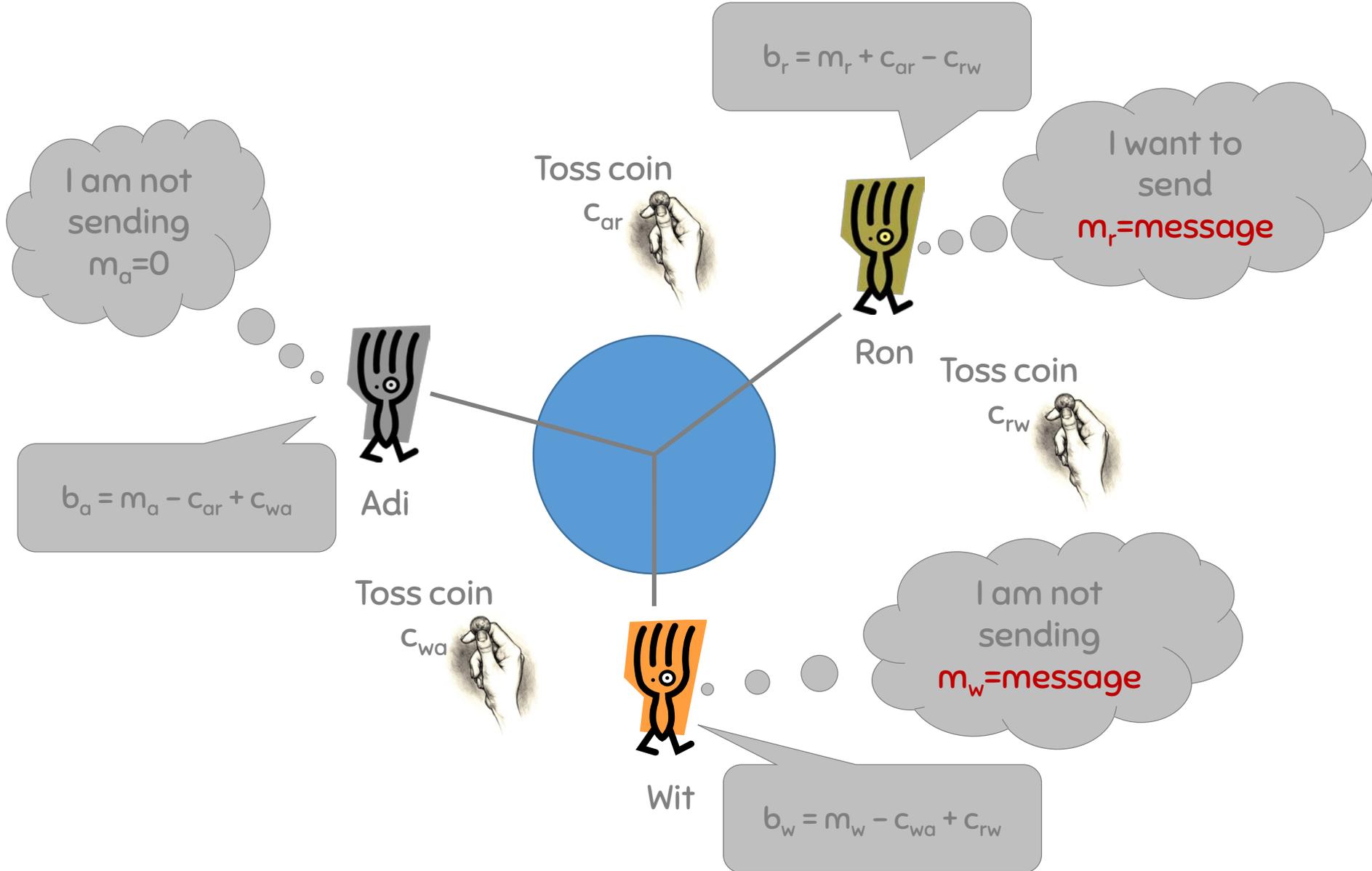
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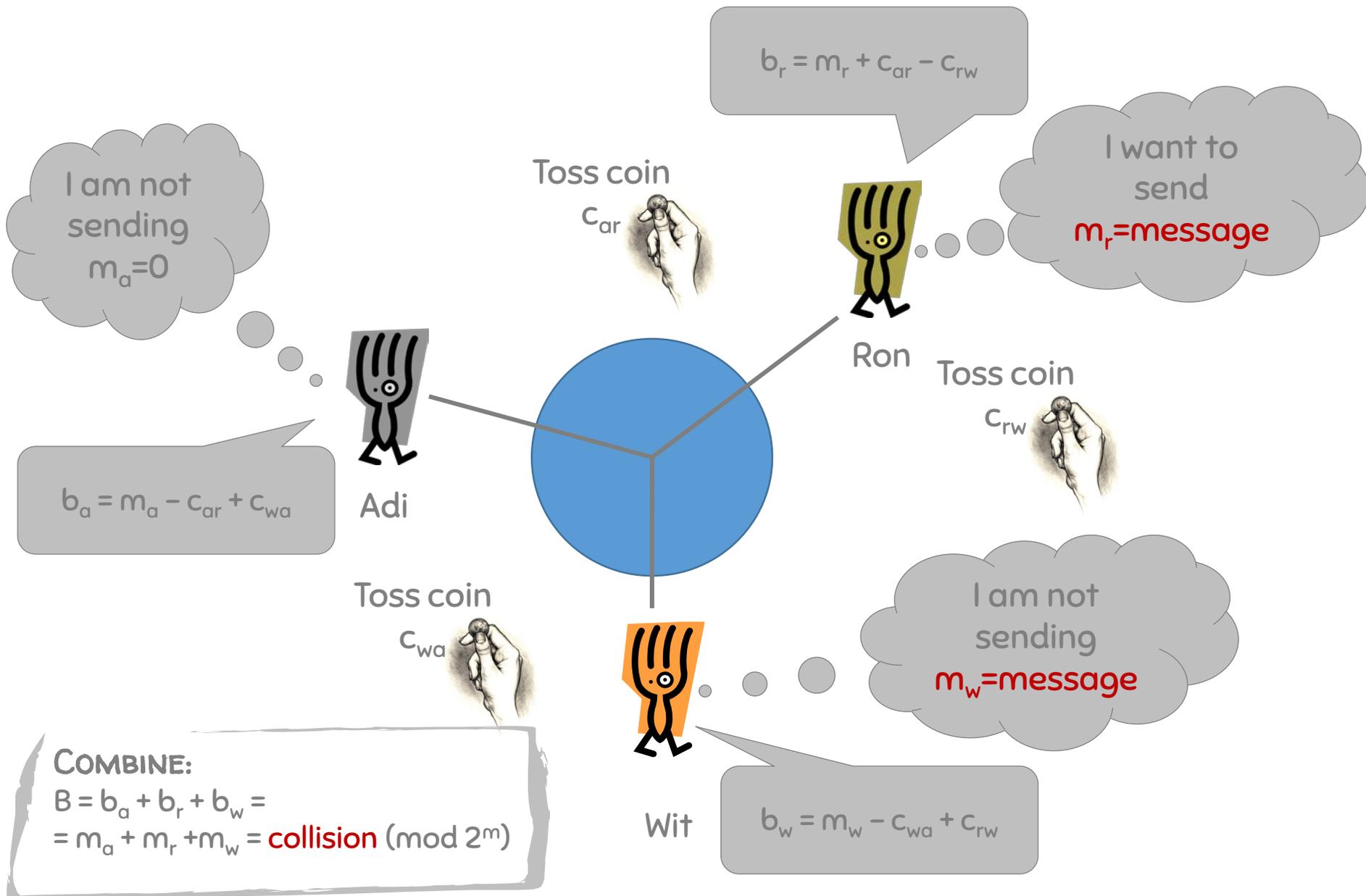
RING?



THE DINING CRYPTOGRAPHERS - COLLISIONS



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HOW TO RESOLVE COLLISIONS?

ETHERNET: DETECT COLLISION AND RANDOM RE-TRANSMISSION

DC-NETS: COLLISIONS DO NOT DESTROY ALL INFORMATION

$$\begin{aligned} B &= b_a + b_r + b_w = m_a + m_r + m_w = \\ &= \text{collision} \pmod{m} \\ &= \text{message}_1 + \text{message}_2 \pmod{m} \end{aligned}$$

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N COLLISIONS CAN BE DECODED IN N TRANSMISSIONS!

DC-NET TAKEAWAYS

- SECURITY IS GREAT!
 - FULL KEY SHARING GRAPH \Leftrightarrow PERFECT ANONYMITY
- COMMUNICATION COST – BAD
 - (N BROADCASTS FOR EACH MESSAGE!)
 - NAIVE: $O(N^2)$ COST, $O(1)$ LATENCY
 - NOT SO NAIVE: $O(N)$ MESSAGES, $O(N)$ LATENCY
 - RING STRUCTURE FOR BROADCAST
 - EXPANDER GRAPH: $O(N)$ MESSAGES, $O(\log N)$ LATENCY?
 - CENTRALIZED: $O(N)$ MESSAGES, $O(1)$ LATENCY
- NOT PRACTICAL FOR LARGE(R) N! ☹
 - LOCAL WIRELESS COMMUNICATIONS?
- PERFECT ANONYMITY

HERVIBORE

ENTRY CONTROL
Distribute nodes
Avoid choice
Cost to enter

$\min(\text{size})=k$

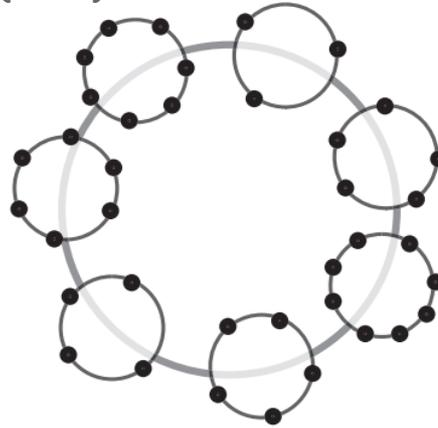


Fig. 1. The global topology of Herbivore is structured as a ring, with each clique assigned a unique key. While communication in Herbivore is primarily done at the clique level, nodes can leverage this global backbone to communicate with other cliques

ROUND
Reserve
Transmission
Exit
(avoid intersection)

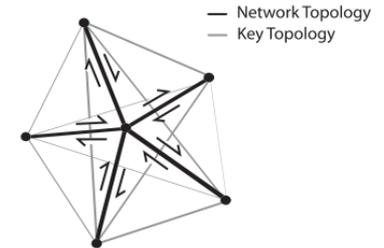


Fig. 3. A Six Node Clique. While the network topology is star-shaped to ensure high bandwidth utilization and low latency, the key topology is a complete graph to protect anonymity. Since the center of the star has a disproportionate network load, Herbivore selects a new center for each round by cycling through the clique members.

WE HAVE SEEN SEVERAL TECHNIQUES FOR
ANONYMOUS COMMUNICATIONS

AND DIFFERENT ATTACKS

NEXT WEEK

**TRAFFIC ANALYSIS:
PROTOCOLS, ATTACKS, DESIGN ISSUES, AND OPEN PROBLEMS.**